

Development and characterisation of a self-powered measurement buoy prototype by means of piezoelectric energy harvester for monitoring activities in a marine environment

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ABSTRACT

In the interest of our society, for example in Smart City but also in other specific backgrounds, environmental monitoring is an essential activity to measure the quality of different ecosystems. In fact, the need to obtain accurate and extended measurements in space and time has considerably become relevant. In very large environments, such as marine ones, technological solutions are required for the use of smart, automatic, and self-powered devices in order to reduce human maintenance service. This work presents a simple and innovative layout for a small self-powered floating buoy, with the aim of measuring and transmitting the detected data for visualization, storage and/or elaboration. The power supply was obtained using a cantilever harvester, based on piezoelectric patches, converting the motion of ripple waves. Such type of waves is characterized by frequencies between 1.50 Hz and 2.50 Hz with oscillation between 5.0° and 7.0°. Specifically, a dedicated experimental setup was created to simulate the motion of ripple waves and to evaluate the suitability of the proposed design and the performance of the used harvester. Furthermore, a dynamic analytical model for the harvester has been defined and the uncertainty correlated to the harvested power has been evaluated. Finally, the harvested voltage and power have shown how the presented buoy behaves like a frequency transformer. Hence, although the used cantilever harvester does not work in its resonant frequency, the harvested electricity undergoes a significant increase.

Section: RESEARCH PAPER

Keywords: Piezoelectric patch; ripples waves; uncertainty estimation; motion frequency transformer

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1. INTRODUCTION

The purposes of monitoring procedures for marine environment are multiple and useful both for measuring the quality of the specific ecosystem and for estimating of the global anthropogenic impact, also in the field of Smart City [1], [2]. Most widespread activities range from detection of pollutants to meteorological or climatic measurements [3]. However, other aims concern the use of marine sensors for safety evaluation in coastal areas and protection from seismic events or biological hazards [4]. Scientific literature already presents technological solutions in the field of floating measurement devices with specialized sensors and data communication systems for different applications [5].

Measurement buoys provide a reading service for chemical and/or physical quantities through sensors and low energy electronics and guarantee a stable communication to the ground through suitable data transfer channels (WI-FI, Bluetooth, GSM) [6], [7]. Although a modest power input is foreseen for supplying the on-board instrumentation, the need to make these devices energy self-sufficient remains open. For such purpose, technologies are employed for ensuring a buoys independence from human presence and a constant source of electricity [8], [9].

Traditionally, measurement buoys are powered by photovoltaic systems and by wind turbines. Alippi et al. [10], Albaladejo et al. [11] and Hormann et al. [12] employed different

size photovoltaic cells to feed sensor buoy systems for sea trials. In these studies, the main limitations were found in the dependence of the electricity production by the sun, by lacking in bad weather conditions and by inactivity during the night, and in the need to equip the measurement buoys with bulky and heavy systems and batteries. Instead, for wind turbines, the meteorological conditions are not optimal on the sea surface. In fact, the wind speed at 1 m above the sea level is a third of that at 80 m. This results in a 73% reduction in wind power [13]. Recently, new energy sources, such as tidal currents and sea or ocean waves, have been investigated. Trevathan et al. [14] proposed tidal currents to supply sensors for marine measurements and compared the performances of different types of wind turbines. However, they concluded that such devices may not be cost-effective and risk-prone to apply due to biofouling and entanglement from drifting algae and sea grass wrack. Sea or ocean waves represent an attractive renewable source, indirectly related to both the sun and the wind, and with a high energy density [15]. Pelc et al. [16] stated that wave energy is vast and more reliable than most renewable sources. Furthermore, they highlighted that such energy at a given site is available up to 90 % of the time, while photovoltaic and wind energy tend to be available only 20-30 % of the time.

The adoption of an energy harvester by piezoelectric transducers (PEH) is an advantageous solution to convert wave motion in electric energy. PEH are a well-known technique in literature. For example, Bolzea et al. [17] used such devices in cantilever configuration, demonstrating that the maximum power output is generated when the mechanical resonance is reached. Toyabur et al. [18] designed a multimode PEH, consisting of four elements, connected in parallel and in a cantilever configuration, to achieve different low frequency resonance modes (10-20 Hz). The authors showed that their system generates about four times more power than a single PEH. Pradeesh et al. [19] analysed, both experimentally and numerically, the effect of a proof mass fixed to a PEH in a cantilever configuration. The researchers obtained the best results as the proof mass was glued close to the clamped end. These works highlight the importance of a correct design for a cantilever type PEH, but they do not discuss the effect of the proof mass (i. e. the resonant frequency variation of the PEH) on the harvested power. Recently, Montanini et al. [20] developed a PEH, using a glass fibre reinforced beam support. The authors studied the correlation between the mechanical working frequency and the harvested electrical power, analysing the deflection shape of the PEH under operating conditions by means of a scanning laser-Doppler vibrometer. After that, they investigated the conversion efficiency of this PEH [21] and the applicability of a low-power single-stage converter, able to automatically follow the changes in the resistive component of the output impedance, in order to maximize the energy yield [22], [23].

In the field of power supply for measurement buoys, PEHs have been sporadically applied due to the low frequency of the sea and ocean waves. Wu et al. [24] developed a PEH fixed to a floating buoy, that was anchored to the ocean floor. This device consisted of several cantilevers, on which many piezoelectric patches (PCs) were attached. The authors analyzed the size effect of the float and derived a numerical model to calculate the harvested energy. The research findings show that up to 24 W electric power can be generated with the piezoelectric cantilevers length of 1 m and the length of the buoy of 20 m. Nabavi et al. [25] proposed the design of a beam-to-column piezoelectric



Figure 1. Concept design of the measurement floating buoy prototype. 1. = hemispherical part, 2. = cylindrical part, 3. = PC and 4. = proof mass.

system, able to power a large floating and instrumented ocean buoy. They derived and experimentally verified the equations of the electromechanical behavior of the device, demonstrating that the height amplitude and the low frequency of the wave guarantee the best performance. Additionally, using a baffled water tank, they developed a self-tuning buoy, which works based on the frequency of ocean waves. Recently, Alizzio et al. [26], [27] proposed an instrumented spar and fixed-point buoy, equipped with a PEH, to convert the energy of the wave motion into electricity through some PCs, glued on deformable and floating bands. The buoy was designed, numerically simulated, and experimentally verified, obtaining a light structure able to self-power its on-board sensors and carrying out data transmission.

In this paper, the performance of a simple and innovative layout for a small measurement buoy, supplied by a cantilever PEH, has been studied. The structure has been designed to convert the motion of the ripple waves in a cyclic oscillation with harmonics of high frequency, to which the PEH is subjected thanks to a suitable proof mass. In this context, a dedicated experimental setup has been implemented to simulate the motion of the ripple waves and to evaluate its effect on the electric response of the PEH. Such motion has been discretized on amplitude and frequency configurations, characterizing the dynamics of the proposed buoy with an analytical model of the PEH. Finally, the harvested power has been estimated and the related uncertainty has been evaluated.

2. MATERIALS AND METHODS

2.1. Prototype of the measurement floating buoy

The presented buoy prototype (Figure 1) was made of a floating structure, manufactured with a 3D printer using a highly durable photo-polymeric resin. It was divided in two pieces: the bottom one was designed with a hemispherical shape for an appropriate matching with the sea waves, while the upper one had a cylindrical shape where the PEH was set by a fixed joint. The two parts were connected by means of a thread, to hermetically contain a dedicated measurement instrumentation for monitoring the marine environment with a data transmission system. This PEH allowed to convert the alternative rotational (rolling) motion of the buoy, while this one was subject to ripple





Figure 2. a) image of the experimental setup and b) schema of the conversion system for the linear motion of the shaker in the imposed rolling motion to the buoy. 1. = stinger of the shaker, 2. = frame, 3. = body of the buoy, 4. = PEH, 5. = proof mass, r_2 = height of the hemispherical part of the buoy, r_2 = height of the cylindrical part of the buoy, I = arm of the PEH, D = diameter of the buoy and ϑ = angular displacement.

waves, into electrical energy in order to provide an adequate power to supply all electronic devices within the same buoy.

2.2. Piezoelectric energy harvester (PEH)

The used PEH consisted of a cantilever support, on which a PC and a proof mass were glued at the opposite ends. The PC (DuraAct P-876 A.12, Physik Instrumente GmbH) has sizes of 61.0 mm \times 35.0 mm \times 0.5 mm and an electrical capacity of 90 nF. The active element of the PC, a thin layer of piezoceramic PIC255 powder, is encapsulated in a Kapton case. The PC shows a symmetrical structure; if it is deformed, the same amount of voltage is generated, opposite in charge, on the two surfaces of the electrodes. These types of devices have the double advantage of being also used as an actuator. When driven by an alternating voltage, the PCs act with a multiaxial deformation which depends on the amplitude and frequency of the power signal [28], [29]. The cantilever support, measuring 105 mm \times 35 mm \times 1 mm, was made by manual layering of three layers of 0°/90° oriented glass fibre and epoxy resin.

2.3. Experimental setup and procedure

The experimental setup (Figure 2a) included the buoy with its PEH and an electrodynamic shaker (mod. S 513, Tira), driven by a power amplifier (mod. BAA 120, Tira) and a function generator (mod. 33220 A, Agilent). In order to simulate the motion of the ripple waves in amplitude and frequency, a conversion system (Figure 2b) of the linear motion of the shaker was implemented. It consisted of a frame with two flanges, able to rotate the buoy around a fixed horizontal axis by means of two bearings. The imposed rolling motion was applied by connecting the stinger of the shaker to the bottom of the buoy (i. e. the vertex of the hemisphere) using a ball joint. The geometry of the conversion system is reported in Table 1. The imposed rolling motion to the buoy was monitored by a rotational transducer (mod. 0600-0000,

TRANS-TEK), set in the fixed horizontal axis of the two flanges. An oscilloscope (mod. TDS 5054B, Tektronix) was employed to measure the previous oscillation signal and the voltage response of the PEH on a resistive load of 100 k Ω . Specifically, this resistive load was chosen in accordance with the maximum power transfer theorem, knowing the internal impedance of the PC [20].

The behaviour of the buoy was studied by varying the working frequency, the amplitude of the imposed rolling motion and the proof mass glued at the end of the cantilever support. The frequencies and amplitudes of the ripple waves were appropriately following the results of [27]. Therefore, the sinusoidal functions of the imposed rolling motion to the buoy were chosen with the characteristics shown in Table 2. The acquisition frequency of the signals was set at 2 kHz and each test was repeated 5 times for every combination of working frequency f_{in} and angular displacement θ .

2.4. Simplified model of the mechanical behaviour of the PEH

The mechanical behavior of the analyzed PEH (i.e. a clamped-free beam with a proof mass) can be explained by a single degree of freedom (SDOF) model (Figure 3), according to [30]-[32].

For a PEH without a proof mass, the equation of motion of Euler-Bernoulli beam for undamped free vibrations can be considered:

$$EI\frac{\partial^4 w(x,t)}{\partial x^4} + m\frac{\partial^2 w(x,t)}{\partial t^2} = 0,$$
(1)

where m, E and I indicate the mass, the Young's modulus and the inertia momentum of the PEH, respectively. w(x, t) is the absolute motion of the PEH along its axis expressed as:

$$w(x,t) = w_{rel}(x,t) + w_b(x,t),$$
 (2)

Table 1. Geometric characteristics of the conversion system for the linear motion of the shaker in the imposed rolling motion to the buoy.

r₂ in mm

70

/ in mm

100

D in mm

90

Table 2. Characteristics of the impo	osed rolling motion to the buoy.
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	Case 1	Case 2	Case 3	Case 4	Case 5
Working frequency fw in Hz	1.50	1.75	2.00	2.25	2.50
Angular displacement $artheta$ in °	5.0	5.3	5.9	6.6	7.0

 r_1 in mm

70

Geometric

parameters



Figure 3. Scheme of the model for the PEH.



Figure 4. Typical signal of the angular displacement ϑ of the buoy (on the top) and of the harvested voltage V_{PEH} by the PEH (on the bottom) at 2.00 Hz.

where $w_{rel}(x, t)$ is the displacement, relative to the clamped end, and $w_b(x, t)$ is the absolute displacement of the buoy.

By introducing a proof mass and according to equation (2), equation (1) takes the form reported as follows:

$$EI \frac{\partial^4}{\partial x^4} w_{rel}(x,t) + m \frac{\partial^2}{\partial t^2} w_{rel}(x,t)$$

= -[m + (x - l)M_t] $\frac{\partial^2}{\partial t^2} w_b(x,t)$, (3)

where M_t denotes the proof mass and produces a new contribution.

 $w_b(x,t)$ consists of the composition of an orthogonal translation g(t) and a rotation h(t) of the PEH clamped end:

$$w_b(x,t) = \delta_1(x)g(t) + \delta_2(x)h(t).$$
(4)

In our case (i.e. clamped-free beam and Figure 2b), $\delta_1(x) = 1$, $\delta_2(x) = r_2 + x$, $g(t) = r_2 \sin \theta(t)$ and $h(t) = \theta(t)$, and equation (5) can be reported as:

$$w_b(x,t) = r_2 \sin \theta(t) + (r_2 + x)\theta(t).$$
(5)

2.5. Estimation of the harvested power by the PEH

The harvested power by the PEH was evaluated according to the model proposed by Shu et al. [33], using equation (6):

$$P = \frac{\pi}{\omega} \frac{V^2}{8R},\tag{6}$$

where V and ω are respectively the amplitude and the pulsation of the harvested voltage and R is the resistive load wired to the harvester.

Considering the complex trend of the harvested voltage V_{PEH} of the PEH, V was estimated as a specific average voltage, indicated with \overline{V} . It is the accumulated voltage inside the excitation period by the integral average of the rectified signal in equation (7):

$$\bar{V} = \frac{1}{T} \int_{0}^{T} |V_{PEH}(t)| dt , \qquad (7)$$

where $T = 1 / f_w$ is the excitation period and f_w is the working frequency of the imposed rolling motion of the buoy.

For discrete signals, the equation (7) becomes:

$$\bar{V} = \frac{1}{T} \sum_{t=0}^{T} |V_{PEH}(t)|.$$
(8)

Hence, equation (6) takes the form of equation (9):

$$\bar{P} = \frac{1}{16RT} \left(\sum_{t=0}^{T} |V_{PEH}(t)| \right)^2 = \frac{f_w}{16R} \left(\sum_{t=0}^{1/f_w} |V_{PEH}(t)| \right)^2,$$
⁽⁹⁾

where \overline{P} is the specific power, harvested by the PEH. It is here mentioned as specific power, hence it is a complex function of the working frequency due to its dependence on \overline{V} .

3. RESULTS

3.1. Effects of the mechanical frequency

Figure 4 shows the typical signals concerning the angular displacement θ of the buoy, measured on the fixed horizontal axis, and the harvested voltage V_{PEH} by the PEH, following the imposed rolling motion. In this application the mechanical operating conditions of the PEH are quite different from those reported in the literature [24]-[27]. Indeed, the piezoelectric component is mechanically stressed by a non-inertial force field in which the motion is alternative. The working frequencies f_w of the presented PEH are significantly lower than the typical ones of this devices, while the amplitude of the angular displacement θ does not allow the hypothesis of small oscillations. In Figure 4, although a certain period can be identifiable, the two acquired signals do not have the same dynamics. The angular displacement θ has a sufficiently sinusoidal behavior, according to the imposed rolling motion, while the harvested voltage V_{PEH} is oscillating with a variable amplitude.

Figure 5 reports the magnitude of the Discrete Fourier Transform (DFT) of the signals of Figure 4, computed using a resolution of 0.10 Hz. The imposed rolling motion is characterized by a single frequency at 2.00 Hz, vice versa the harvested voltage V_{PEH} has some harmonic components with higher order and with maximum amplitude at 10.00 Hz. The identified phenomenon occurs for all the conducted tests and denotes a multimodal enhancement of the PEH. It must be pointed out that, although the employed shaker ensures a linear trend in the frequency limit remains optimal. In fact, there are no distortions since the amplitudes of the DFT of the angular displacement θ , reported in Figure 5, do not show significant higher order harmonics.

Figure 6 illustrates the comparison between the magnitudes of the DFTs of the harvested voltage V_{PEH} by varying the proof mass, glued to the free end of the PEH, and following an angular displacement θ of the buoy of 6.6° amplitude at a working frequency of 2.00 Hz. A different applied proof mass (i. e. the resonant frequency of the PEH [20], [21]) does not cause a



Figure 5. Magnitude of the DFT of the angular displacement ϑ (on the top) and of the harvested voltage V_{PEH} (on the bottom) with a working frequency $f_{\mu\nu}$ of 2.00 Hz.



Figure 6. Comparison between the magnitude of the DFTs of the harvested voltage V_{PEH} by varying the proof mass at an angular displacement ϑ of the buoy of 6.6° at a working frequency f_{μ} of 2.00 Hz.



Figure 7. Comparison between the magnitudes of the DFTs of the harvested voltage V_{PEH} by varying the imposed rolling motion at an angular displacement ϑ of the buoy of 6.6 ° and using a proof mass of 24.1 g.



Figure 8. Comparison of the frequency magnification factors at different angular displacement ϑ of the imposed rolling motion and using a proof mass of 24.1 g.



Figure 9. Specific average voltages \bar{V} by the PEH obtained with respect the working frequency $f_{\rm w}.$

change in the frequency of the DFT, but it acts on the amplitude of V_{PEH} . In fact, a greater proof mass induces a consequent increase in the DFT magnitude and a modification of the modal eigenvalues associated with the motion. Moreover, in these cases, the accelerations due to the proof masses assumed values between 0.77 ms⁻² and 2.99 ms⁻², calculated considering the parameters from Table 1 and Table 2.

Figure 7 presents the frequency effect of the imposed rolling motion on the harvested voltage V_{PEH} with an angular displacement θ of 6.6° and a proof mass of 24.1 g. The frequency variation of the imposed rolling motion involves a shift of the frequency, but not an alteration in the magnitude of the harvested voltage. Specifically, the components of higher order are characterized by a greater frequency difference than those of lower order.

Figure 8 compares the frequency amplification factors of the buoy-PEH system as the angular displacement θ and working frequency f_{μ} of the imposed alternative rotational motion vary, using a proof mass of 24.1 g. The amplification factors were obtained from the ratio between the frequency of the principal component of the harvested voltage and the working frequency f_{μ} of the imposed rolling motion. It was found that these factors are not very sensitive to either the frequency or the amplitude of the imposed rolling motion.

3.2. Power estimation of the PEH

Figure 9 shows the area that collects the values of the specific average voltages \overline{V} , calculated according to equation (8), as the working frequency f_w varies. This area was obtained by changing the angular displacement θ of the boy and the proof masses glued to the PEH. The results are in perfect agreement with the literature [17]-[23]. In fact, it can be noted that as the proof mass increases (i. e. as the resonant frequency of the PEH decreases), a greater oscillation of the PEH is obtained with a consequent increment in the harvested voltage. A similar observation can be made by considering the increase in the working frequency f_w of the imposed rolling motion with the same proof mass.

Figure 10 underlines the trend of the specific power \overline{P} , harvested by the PEH and calculated according to equation (9), as the working frequency f_{ν} and the amplitude of the angular displacement θ vary and using a fixed proof mass of 24.1 g. A relative maximum is obtained at the working frequency of 2.25 Hz and its amplitude rises as the angular displacement θ of the buoy increases. This result also conforms to the data already present in the literature [17]-[23]. In the optimal conditions of a working frequency of 2.25 Hz, an angular displacement of 7.0°



Figure 10. Specific power \overline{P} , harvested by the PEH, as a function of the working frequency f_w and the angular displacement ϑ with a proof mass of 24.1 g.



Figure 11. Specific power \overline{P} , harvested by the PEH, as a function of the working frequency f_w and the proof mass at different angular displacement ϑ .

and a proof mass of 24.1 g, the harvested energy in 1 h for a specific power of 0.08 mW is 274.6 mWh.

Figure 11 reports a comparison of the specific power \overline{P} , made with different proof masses and at the same angular displacement θ . Because of that it is found in Figure 6, the different proof mass influences the harvested voltage V_{PEH} , and consequently the specific power \overline{P} , the latter proportional to the square of the voltage as visible in equation (9). As an example, Figure 12 exhibits the specific power \overline{P} evaluated for the acquisitions with proof mass equal to 28.8 g. \overline{P} assumes two relative maxima corresponding to the working frequencies f_{ν} equal to 2 Hz and 2.5 Hz.

Generally, harvesters using piezoelectric patches in cantilever configuration are able to produce a power peak at its resonant



Figure 12. Specific power \bar{P} , harvested by the PEH, for angular displacement ϑ and working frequency $f_{\rm w}$ with a proof mass of 28.8 g.

frequencies. It has already been observed that the first mode of vibration, usually at low frequencies, is responsible for the greater energetic contribution as it provides the components with the highest rate of deformation compared to the other modes of vibration [16]-[20].

3.3. Uncertainty evaluation of the harvested power by the PEH

The uncertainty of specific power \overline{P} by the PEH is estimated by analysing the relative weight of each of the quantities in equation (9). The estimation of the combined uncertainty was based on the ISO/IEC Guide 98-3:2008 [34], by applying the following propagation law:

$$u(y) = \sqrt{\sum_{i} u^2(x_i) \left(\frac{\delta \bar{y}}{\delta x_i}\right)^2}.$$
(9)

The previous is explicated as:

$$u(\bar{P}) = \left[u^{2}(f_{w}) \left(\frac{\delta \bar{P}}{\delta f_{w}} \right)^{2} + u^{2}(R) \left(\frac{\delta \bar{P}}{\delta R} \right)^{2} + u^{2}(\bar{V}) \left(\frac{\delta \bar{P}}{\delta \bar{V}} \right)^{2} \right]^{0.5}.$$
(10)

The extended uncertainty (U_c) was then estimated by assuming a coverage factor (k) equal to 2.57, based on a *t* distribution with five degrees of freedom at a confidence level of 98%. The detailed computation is shown in Table 3. Similar results were obtained for other acquisitions at different motion parameters. Looking at the relative weight of the different quantities affecting the uncertainty, it can be highlighted that the main contribution derives from the specific average voltages \overline{V} , whereas the other quantities have a much lower influence.

4. CONCLUSIONS

For a measurements buoy, the power consumption mainly depends on the components that deal with data communication. In fact, data collection does not take place continuously over

Table 3. Uncertainty evaluation at the working frequency f_{y} equal 2 Hz with an angular displacement ϑ of 6.6° and proof mass of 24.1 g.

Parameter	value	uncertainty type	u(x _i)	$u^2 \cdot (\delta P/\delta x_i)^2$	u(P)	<i>U</i> _c (<i>P</i>) (<i>k</i> = 2.57)
<i>V</i> / V	0.3193	А	2.85E-2	4.80E-5		
<i>f</i> _w / Hz	2.00	А	5.57E-14	4.34E-9	9.49E-5	2.44E-4
R / Ω	1E+6	В	1.50E+3	8.88E-21		

time. Therefore, these devices do not need to be constantly active and can often be put into sleep mode and waked up at fixed time intervals or in response to some external event. Typically, the power consumption for such routines is on the order of a few mW and can be ensured by rechargeable batteries and appropriate power electronics downstream the harvesters [35].

In this work, a simple and innovative layout for a small selfpowered floating buoy, employed for environmental monitoring activities, has been presented. This device makes use of a PEH, consisted of a PC, set in a cantilever configuration and excited by the rolling motion of the ripple waves, as supply source. The voltage and the power response of the PEH has shown a particularly advantageous behavior because the imposed motion has excited the PC with a multi-frequency combination of vibration modes. A multiplication of the oscillation frequencies for the PEH has been found as the working frequency varies. In fact, although the frequencies of the harvested voltage and power do not match the resonant frequency of the used PEH and therefore the best deformation for the PC is not obtained [16]-[21], the calculated specific power has relative maxima with respect to the input parameters (i. e. the frequency and amplitude of ripple waves). In this setup configuration and in optimal conditions of a working frequency of 2.25 Hz, an angular displacement of 7.0° and a proof mass of 24.1 g, the PEH had reached the harvested energy in 1 h of 274.6 mWh for a specific value of harvested power equals to 0.08 mW. In this way the described floating buoy assumes the configuration of a frequency transformer. For these reasons, the analyzed layout allows to considerably increase the power generated by a single PEH, compared to that obtainable in typical conditions [26], [27], especially if such harvesters are coupled to a suitable impedance matching circuit [22], [23].

Future purposes will be aimed to identify the optimal position of the PC on the beam for a more efficiently conversion of the mechanical energy provided by ripple waves, to evaluate the effect of the noise superimposed on the main motion of the buoy, to define the scalability of the buoy after an appropriate fluid-dynamic sizing, and finally to estimate the buoy performance in real conditions.

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